

# Commentary on the proposed adult mental health PbR cluster decision support algorithm (internal group discussion note)

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This is a short note – originally for discussion in the CAMHS PbR group on Monday 5<sup>th</sup> November – which summarises my understanding of the algorithm, identifies areas where more information would be helpful to support clearer understanding of the tool, notes possible challenges raised by the approach taken, and presents ideas for possible areas for future exploration. This tool is clearly important for Adult PbR and provides stimulating input to the developing CAMHS approach.

I understand that the team working on the adult mental health PbR cluster decision support algorithm are inviting rapid feedback and I am therefore sharing this internal document in the spirit of wanting to share learning. *These are my own personal views of the approach and aren't necessarily shared by others in the CAMHS PbR group.*

## Brief summary of algorithm

The algorithm was developed using a dataset consisting of

1. Clinicians' Mental Health Clustering Tool (MHCT) responses.
2. Clinicians' cluster choice.

Linear Discriminant Analysis was used to produce a set of equations predicting the probability of cluster membership as a function of the MHCT responses.

A predictor was added for each possible response for each item, i.e., for each of the 18 items of the MHCT, 5 predictors were added for the five levels of severity:

- 0 = no problem
- 1 = minor problem requiring no action
- 2 = mild problem but definitely present
- 3 = moderately severe problem
- 4 = severe to very severe problem

For each cluster there are therefore  $18 \times 5 = 90$  predictors, plus a constant term giving 91 predictors per cluster. There are 20 clusters (cluster 9 was dropped), giving 1,820 predictors, of which 1,204 have non-zero coefficients.

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*Possible circularity of the approach*

1. Clinicians were trained in a partial description of an algorithm, specified in a colour-coded booklet. See the image below for an example for Cluster 10. Red denotes that the score is required, orange denotes that it is likely, yellow denotes that it is possible, and white denotes that it is unlikely.

No	ITEM DESCRIPTION	SCORE				
		0	1	2	3	4
2	Non-accidental self injury		Orange	Orange	Orange	
3	Problem drinking or drug taking		Orange	Orange	Orange	Orange
4	Cognitive Problems	Yellow	Yellow	Yellow		
5	Physical Illness or disability problems	Yellow	Yellow			
6	Hallucinations and Delusions		Red	Red	Red	Red
7	Depressed mood *			Orange	Orange	Orange
8	Other mental and behavioural problems *			Yellow	Yellow	Yellow
9	Relationships		Yellow	Yellow	Yellow	
10	Activities of daily living		Yellow	Yellow	Yellow	
11	Living conditions		Yellow	Yellow	Yellow	
12	Occupation & Activities		Yellow	Yellow	Yellow	
13	Strong Unreasonable Beliefs		Yellow	Yellow	Yellow	
A	Agitated behaviour/expansive mood		Orange	Orange	Orange	
B	Repeat Self-Harm	Orange	Orange	Orange		
C	Safeguarding other children & vulnerable dependant adults	Yellow	Yellow			
D	Engagement			Yellow	Yellow	Yellow
E	Vulnerability		Orange	Orange	Orange	

  

Must score	Red
Expected to score	Orange
May score	Yellow
Unlikely to score	White
No data available	Grey

2. Clinicians attempted to use this to generate a cluster, using item responses in the MHCT booklet.
3. Responses were excluded from analysis if they didn't satisfy red-rules – as defined in the booklet. (From the first dataset, 25% of cases were excluded however from the second sourced from CPPP only 2% had to be excluded.)
4. A statistical model was used to predict clinicians' cluster choice from their MHCT selections – in order to generate an algorithm.
5. The end result is a statistical incarnation of the original guidance, giving most likely clusters chosen.

It would be extremely helpful to have more detail on where the initial cluster-selection guidance comes from, and justification as to why it is suitable as a basis for the present modelling efforts. Clearly it will also be crucial going forward to understand how these clusters relate to resource use.

### *Possible issues with the sample*

One important application of the algorithm is to indicate the “prevalence” of clusters in adult mental health, conditional on the MHCT scores, so the representativeness of the sample is important. The first dataset used to fit the models had only 919 cases. A larger sample of 14,842 cases was sourced, however there is a clear over-representation of one cluster – Cognitive Impairment (Low Need) – so it is unclear how representative the sample is (see table below).

	<i>Cluster</i>	<i>% of cases</i>
1	Common Mental Health Problems (Low Severity)	2.3
2	Common Mental Health Problems (Low Severity with greater need)	2.5
3	Non Psychotic (Moderate Severity)	12.0
4	Non-psychotic (Severe)	8.0
5	Non-psychotic Disorders (Very Severe)	0.4
6	Non-psychotic Disorder of Over-valued Ideas	0.5
7	Enduring Non-psychotic Disorders (High Disability)	2.8
8	Non-Psychotic Chaotic and Challenging Disorders	0.3
10	First Episode Psychosis	0.7
11	Ongoing Recurrent Psychosis (Low Symptoms)	9.0
12	Ongoing or recurrent Psychosis (High Disability)	4.4
13	Ongoing or Recurrent Psychosis (High Symptom & Disability)	1.9
14	Psychotic Crisis	0.9
15	Severe Psychotic Depression	0.3
16	Dual Diagnosis	0.3
17	Psychosis and Affective Disorder – Difficult to Engage	0.2
18	Cognitive Impairment (Low Need)	44.8
19	Cognitive Impairment or Dementia Complicated (Moderate Need)	8.1
20	Cognitive Impairment or Dementia Complicated (High Need)	0.3
21	Cognitive Impairment or Dementia (High Physical or Engagement)	0.3

### **Ideas for possible areas to explore**

1. Consider exploring, perhaps through interviews, what information clinicians are using to assign clusters. It seems plausible that there is something beyond the MCHT scores – but what exactly is influencing decisions?
2. Try multinomial logistic regression. This will also provide a set of equations which can predict cluster membership, and which could be embedded in a spread sheet. One advantage is that the response will be easier to convert to a probability. Of course there’s no guarantee that this will do any better, but it seems worth a try.

3. Allow interactions between predictors. It seems possible that this will be necessary so that adding additional information can also reduce the probability of cluster membership, depending on what other MHCT responses have been chosen.
4. Consider the application of this model to resource use.

### Appendix 1: example of computation

The formula below shows how to compute (a value proportional to) the probability of membership in cluster 1. Each of the variables in the formula below is either 0 or 1. For instance *Item1\_Score\_0* is set to 1 if “no problem” is ticked for the item 1 on the MHCT.

$$\begin{aligned} & \exp((274.1261 \times \text{Item1\_Score\_0} + 231.374 \times \text{Item2\_Score\_0} + 74.79094 \times \text{Item3\_Score\_0} + \\ & 1116.246 \times \text{Item4\_Score\_0} + 0 \times \text{Item5\_Score\_0} + 643.8571 \times \text{Item6\_Score\_0} + 135.7461 \times \text{Item7\_Score\_0} \\ & + 219.093 \times \text{Item8\_Score\_0} + 429.2262 \times \text{Item9\_Score\_0} + 69.18559 \times \text{Item10\_Score\_0} + \\ & 0 \times \text{Item11\_Score\_0} + 232.9812 \times \text{Item12\_Score\_0} + 42.61629 \times \text{Item13\_Score\_0} + \\ & 43.61732 \times \text{ItemA\_Score\_0} + 334.1883 \times \text{ItemB\_Score\_0} + 0 \times \text{ItemC\_Score\_0} + \\ & 122.8488 \times \text{ItemD\_Score\_0} + 203.1964 \times \text{ItemE\_Score\_0} + 278.323 \times \text{Item1\_Score\_1} + \\ & 230.8871 \times \text{Item2\_Score\_1} + 68.66777 \times \text{Item3\_Score\_1} + 1118.597 \times \text{Item4\_Score\_1} + 0 \times \text{Item5\_Score\_1} \\ & + 655.0367 \times \text{Item6\_Score\_1} + 282.4226 \times \text{Item7\_Score\_1} + 467.9079 \times \text{Item8\_Score\_1} + \\ & 429.2671 \times \text{Item9\_Score\_1} + 72.16214 \times \text{Item10\_Score\_1} + 0 \times \text{Item11\_Score\_1} + \\ & 232.2064 \times \text{Item12\_Score\_1} + 40.46893 \times \text{Item13\_Score\_1} + 39.20682 \times \text{ItemA\_Score\_1} + \\ & 337.9674 \times \text{ItemB\_Score\_1} + 0 \times \text{ItemC\_Score\_1} + 103.0121 \times \text{ItemD\_Score\_1} + 201.9949 \times \text{ItemE\_Score\_1} \\ & + 276.9076 \times \text{Item1\_Score\_2} + 233.1237 \times \text{Item2\_Score\_2} + 76.34718 \times \text{Item3\_Score\_2} + \\ & 1120.471 \times \text{Item4\_Score\_2} + 0 \times \text{Item5\_Score\_2} + 587.0671 \times \text{Item6\_Score\_2} + 51.84121 \times \text{Item7\_Score\_2} \\ & + 90.04503 \times \text{Item8\_Score\_2} + 431.6853 \times \text{Item9\_Score\_2} + 66.49924 \times \text{Item10\_Score\_2} + \\ & 0 \times \text{Item11\_Score\_2} + 232.6356 \times \text{Item12\_Score\_2} + 14.69476 \times \text{Item13\_Score\_2} + \\ & 39.19009 \times \text{ItemA\_Score\_2} + 349.5469 \times \text{ItemB\_Score\_2} + 0 \times \text{ItemC\_Score\_2} + \\ & 113.5403 \times \text{ItemD\_Score\_2} + 201.7448 \times \text{ItemE\_Score\_2} + 310.5489 \times \text{Item1\_Score\_3} + \\ & 242.7606 \times \text{Item2\_Score\_3} + 69.52968 \times \text{Item3\_Score\_3} + 1133.2 \times \text{Item4\_Score\_3} + 0 \times \text{Item5\_Score\_3} + \\ & 0 \times \text{Item6\_Score\_3} + 56.5532 \times \text{Item7\_Score\_3} + 66.51422 \times \text{Item8\_Score\_3} + 425.317 \times \text{Item9\_Score\_3} + \\ & 87.08731 \times \text{Item10\_Score\_3} + 0 \times \text{Item11\_Score\_3} + 234.038 \times \text{Item12\_Score\_3} + \\ & 23.89605 \times \text{Item13\_Score\_3} + 18.36489 \times \text{ItemA\_Score\_3} + 13.40368 \times \text{ItemB\_Score\_3} + \\ & 0 \times \text{ItemC\_Score\_3} + -20.17667 \times \text{ItemD\_Score\_3} + 252.9833 \times \text{ItemE\_Score\_3} + 0 \times \text{Item1\_Score\_4} + \\ & 0 \times \text{Item2\_Score\_4} + 0 \times \text{Item3\_Score\_4} + 0 \times \text{Item4\_Score\_4} + 0 \times \text{Item5\_Score\_4} + 0 \times \text{Item6\_Score\_4} + \\ & 0 \times \text{Item7\_Score\_4} + 0 \times \text{Item8\_Score\_4} + 0 \times \text{Item9\_Score\_4} + 0 \times \text{Item10\_Score\_4} + 0 \times \text{Item11\_Score\_4} + \\ & 0 \times \text{Item12\_Score\_4} + 0 \times \text{Item13\_Score\_4} + 0 \times \text{ItemA\_Score\_4} + 0 \times \text{ItemB\_Score\_4} + 0 \times \text{ItemC\_Score\_4} + \\ & 0 \times \text{ItemD\_Score\_4} + 0 \times \text{ItemE\_Score\_4} - 2282.15) / 10) \end{aligned}$$

The final probability is then computed relative to the reference class which is defined by the clinician-chosen super-cluster and also clusters which are consistent with the red-rules.

This is illustrated in the table below (ignoring the red rules). The probabilities within a super-cluster sum to 100. Note that when computing  $\exp(DFS)$  for the first two clusters, the Discriminant Fisher Score is first divided by 10; for the third Organic cluster it is first divided by 100.

The items were selected as follows:

1	2	3	4	5	6	7	8	9	10	11	12	13	A	B	C	D	E
0	0	0	4	0	0	0	0	0	0	0	4	0	0	0	0	4	4

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Cluster	Discriminant Fisher Score(DFS)	exp(DFS)	Probability		
			Non- psychotic	Psychosis	Organic
1	215.6709	2.33E+09	0	-	-
2	210.3489	1.37E+09	0	-	-
3	346.8847	1.16E+15	20	-	-
4	354.1459	2.40E+15	42	-	-
5	324.8617	1.28E+14	2	-	-
6	350.712	1.70E+15	30	-	-
7	335.6802	3.79E+14	7	-	-
8	268.9057	4.77E+11	0	-	-
10	620.479	8.85E+26	-	0	-
11	650.2272	1.73E+28	-	6	-
12	643.8599	9.17E+27	-	3	-
13	589.954	4.18E+25	-	0	-
14	623.7976	1.23E+27	-	0	-
15	607.5817	2.44E+26	-	0	-
16	590.555	4.44E+25	-	0	-
17	678.1406	2.83E+29	-	91	-
18	11639.144	3.53E+50	-	-	24
19	11634.664	3.38E+50	-	-	23
20	11565.296	1.69E+50	-	-	11
21	11694.812	6.16E+50	-	-	42

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